



Concept-based Explainable AI

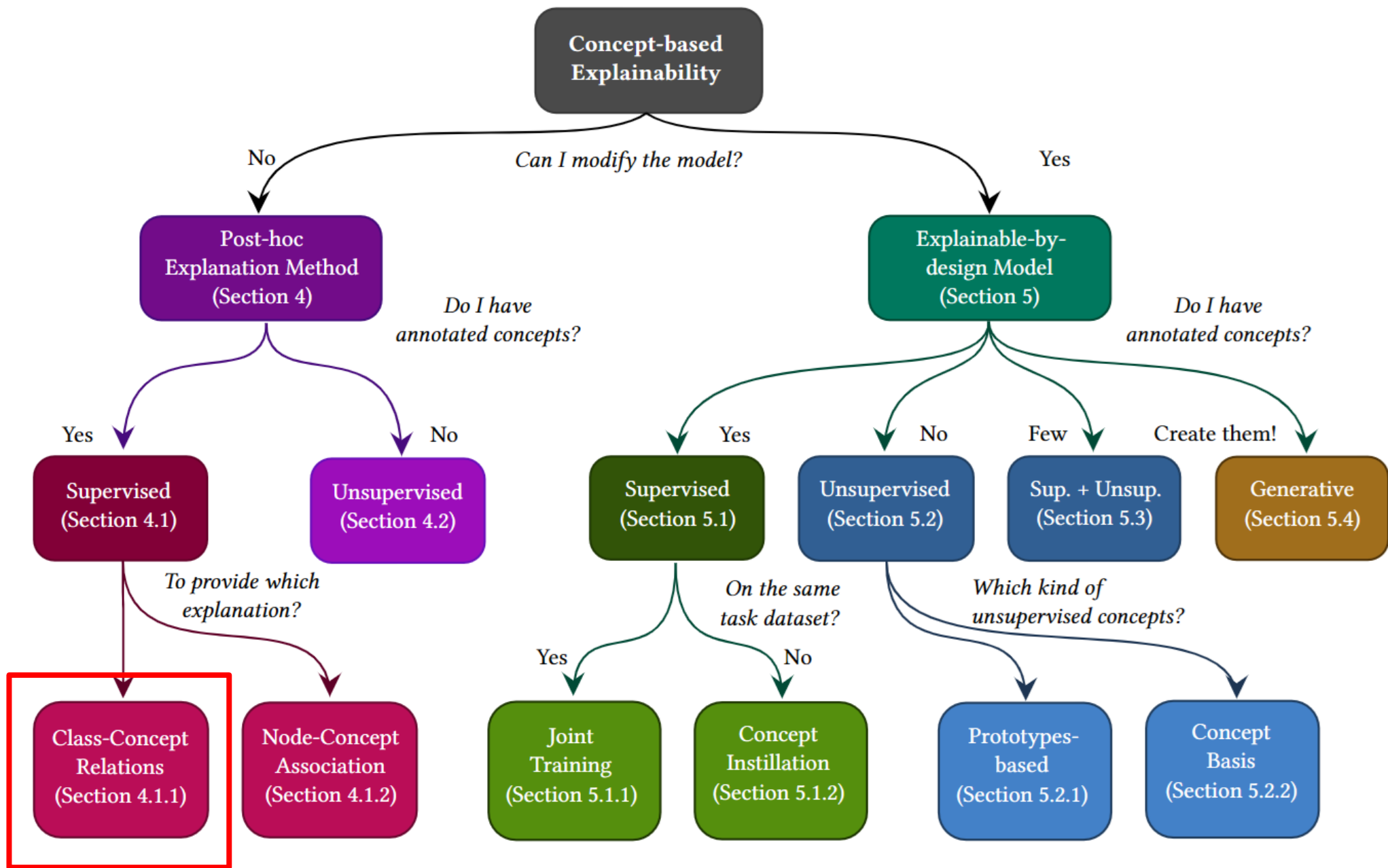
Explainable and Trustworthy AI

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OUTLINE

1. Motivation
 2. Concept-based eXplainable AI (C-XAI)
 3. Testing with Concept Activation Vectors (T-CAV)
 4. Concept Bottleneck Models (CBM)
 5. Concept Embedding Models (CEM)
- } C-XAI
PART I
- } C-XAI
PART II

3. Testing with Concept Activation Vectors (T-CAV)



Example: Post-training explanation

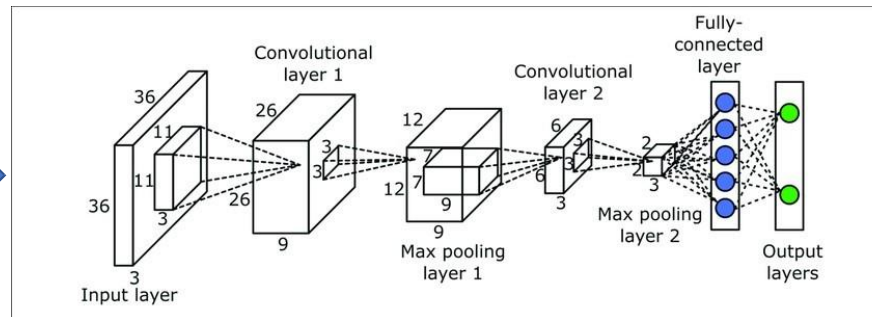
- To use machine learning responsibly, we need to ensure that
 - Our **values are aligned**
 - Our **knowledge is reflected**
- Standard XAI Solutions
 - **Interpretable** ML model (e.g. linear model)
 - Simple but we significantly lose the performance
 - **Post-training** explanation
 - E.g. Perturbation-based/sensitivity analysis-based methods
 - May be difficult to trust for standard users

Example: Post-training explanation

Given Image
(Cash-machine)



Trained ML model
(e.g. GoogleNet)



Predicted as
Cash-machine

$p(z)$

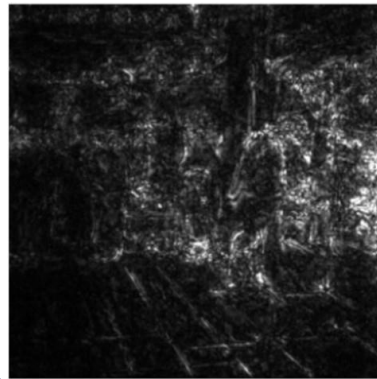
- Why was this a cash machine?

Problem Objective

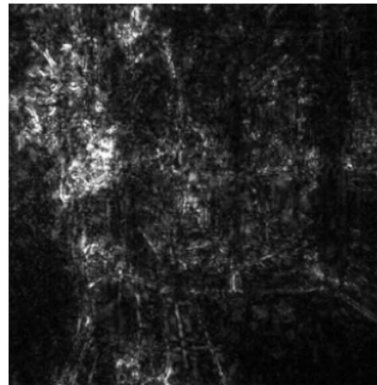
Given Image



Corresponding Saliency Map



Prediction:
Cash-machine



Prediction:
Sliding door

- Did the **'human'** concept matters?
- Did the **'paper'** concept matters?
- Did the **'ATM'** or **'Cash'** concept matters?

TCAV objective:

Quantitatively measure how

important are **"user- chosen concepts"**

TCAV: Overview

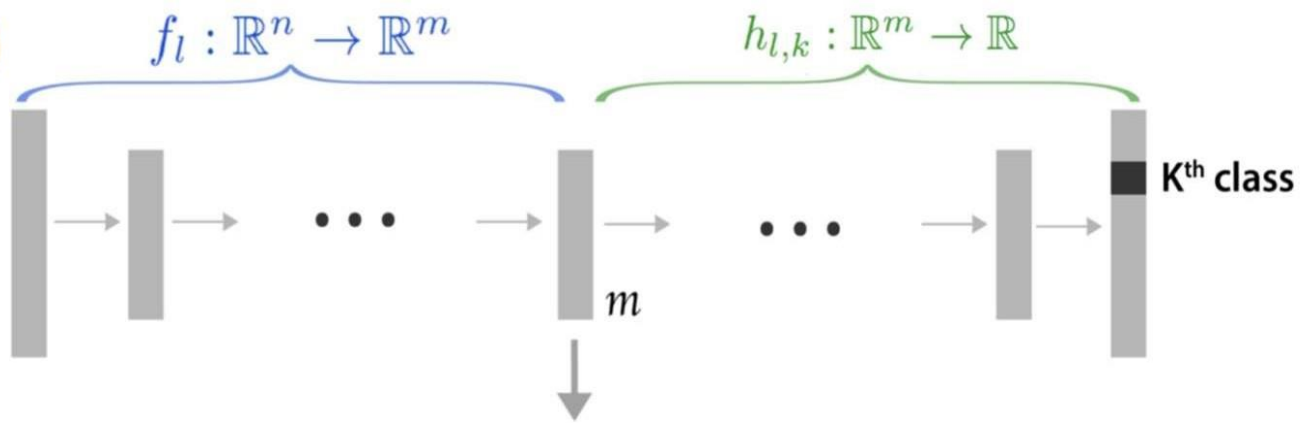
(a)



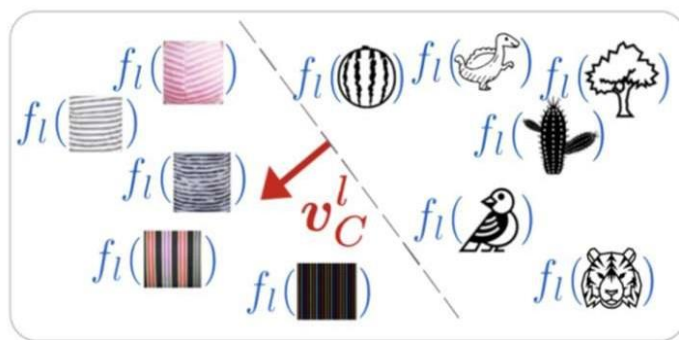
(b)



(c)



(d)



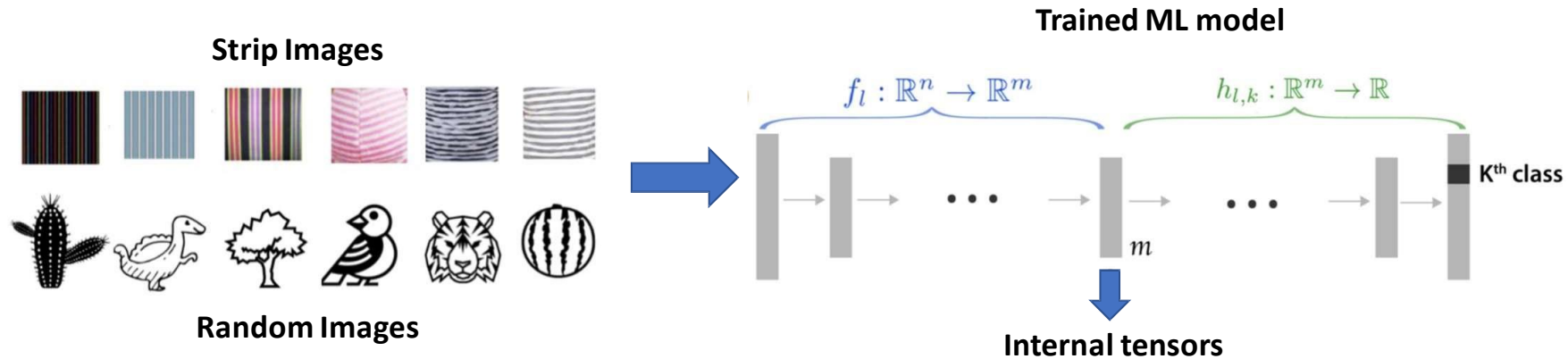
(e)

$$S_{C,k,l}(\text{zebra}) = \nabla h_{l,k}(f_l(\text{zebra})) \cdot v_C^l$$

TCAV components

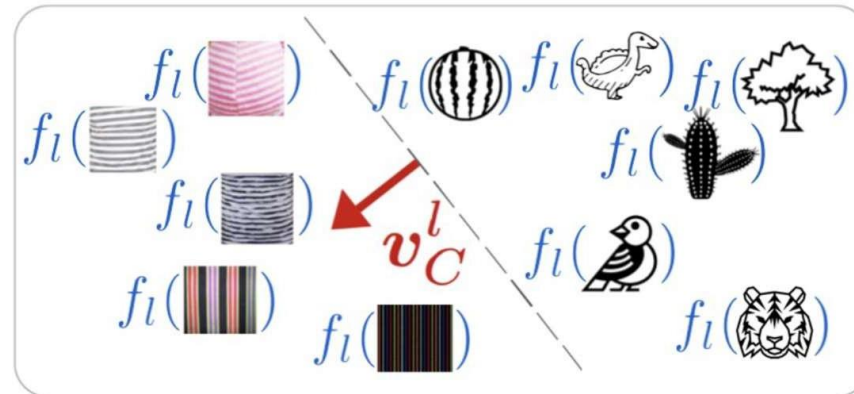
- a) A dataset annotated with both **examples of concepts** and **random images**
- b) The dataset with the **original classes**
- c) The **model** to explain
- d) The Concept Activation Vectors (CAV)
- e) The TCAV score showing the **influence** of a concept on a given class

TCAV: (1) How to define CAV?



Train a **linear classifier** to separate the projection of the concepts from the random images

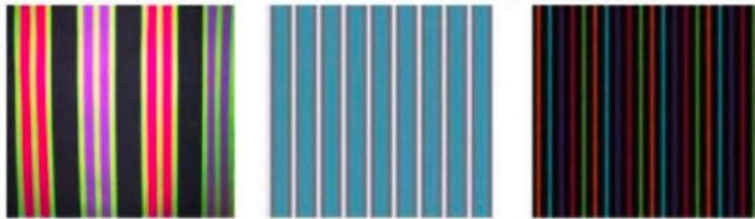
CAV (v_C^l) is the vector **orthogonal** to the decision boundary



Sorting Images with CAVs

- Given a set of images (e.g., belonging to the same class)
- Compute the cosine similarity between
 - the latent representation of an image $f_l(x)$
 - the CAV v_C^l of the selected concept

CEO concept: most similar striped images



CEO concept: least similar striped images



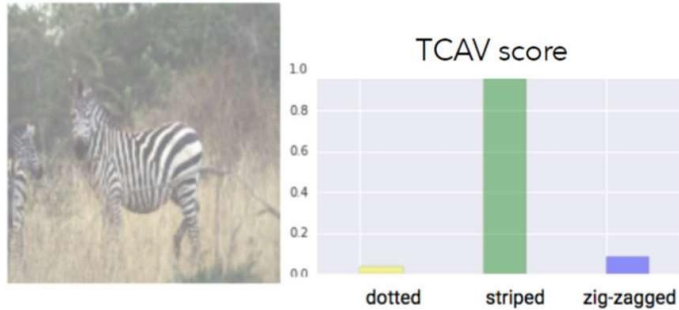
Model Women concept: most similar necktie images



Model Women concept: least similar necktie images



TCAV: (2) How to compute TCAV scores?



$$\begin{aligned} \text{zebra-ness} &\rightarrow \frac{\partial p(z)}{\partial \mathbf{v}_C^l} = S_{C,k,l}(\mathbf{x}) \\ \text{striped CAV} &\rightarrow \end{aligned}$$

$$\begin{aligned} S_{C,k,l}(\mathbf{x}) &= \lim_{\epsilon \rightarrow 0} \frac{h_{l,k}(f_l(\mathbf{x}) + \epsilon \mathbf{v}_C^l) - h_{l,k}(f_l(\mathbf{x}))}{\epsilon} \\ &= \nabla h_{l,k}(f_l(\mathbf{x})) \cdot \mathbf{v}_C^l, \end{aligned} \quad (1)$$

$$S_{C,k,l}(\text{zebra})$$

$$S_{C,k,l}(\text{zebra head})$$

$$S_{C,k,l}(\text{zebra silhouette})$$

$$S_{C,k,l}(\text{zebra head pattern})$$

$$\text{TCAV}_{Q_C,k,l} = \frac{|\{\mathbf{x} \in X_k : S_{C,k,l}(\mathbf{x}) > 0\}|}{|X_k|}$$

Directional derivative with CAV:

- $S_{C,k,l}(\mathbf{x}) > 0$: positive influence
- $S_{C,k,l}(\mathbf{x}) < 0$: negative influence

The **TCAV score** is the number of class samples having a positive directional derivative w.r.t. the **CAV**

TCAV score characteristics

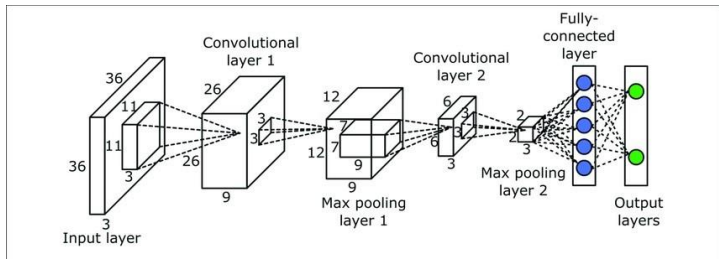
- $TCAV_{C,k,l} \in [0, 1]$
 - $TCAV_{C,k,l} > 0.5$: *positive* influence $TCAV_{C,k,l} < 0.5$: *negative* influence
 - Of concept C
 - Over class k
 - Computed in layer l

TCAV Example 1 (Zebra)

Given Image (Zebra)



Trained ML model (e.g. GoogleNet)

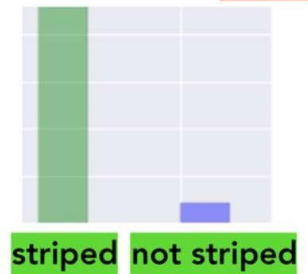


Predicted as Zebra

$$p(z)$$

Was **Stripe concept** important to this **zebra** image classifier?

TCAV score for **Zebra**



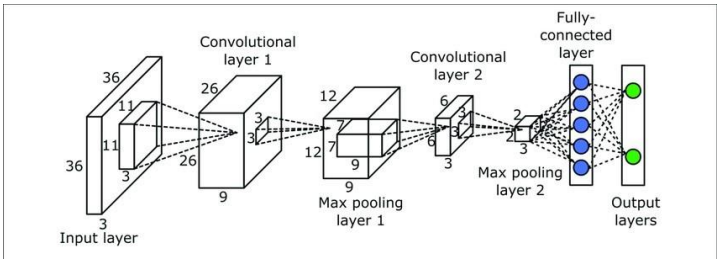
TCAV tells that **Stripe** has a **positive importance** for the classification of **zebras**

TCAV Example 2 (Doctor)

Given Image
(Doctors)

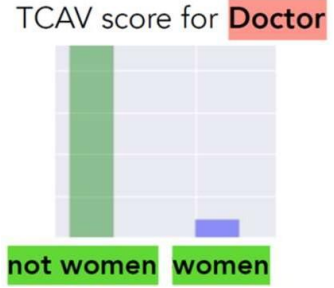


Trained ML model
(e.g. GoogleNet)



Predicted as
Doctor
 $p(z)$

Was **Woman** **concept** important to this **doctor** image classifier?

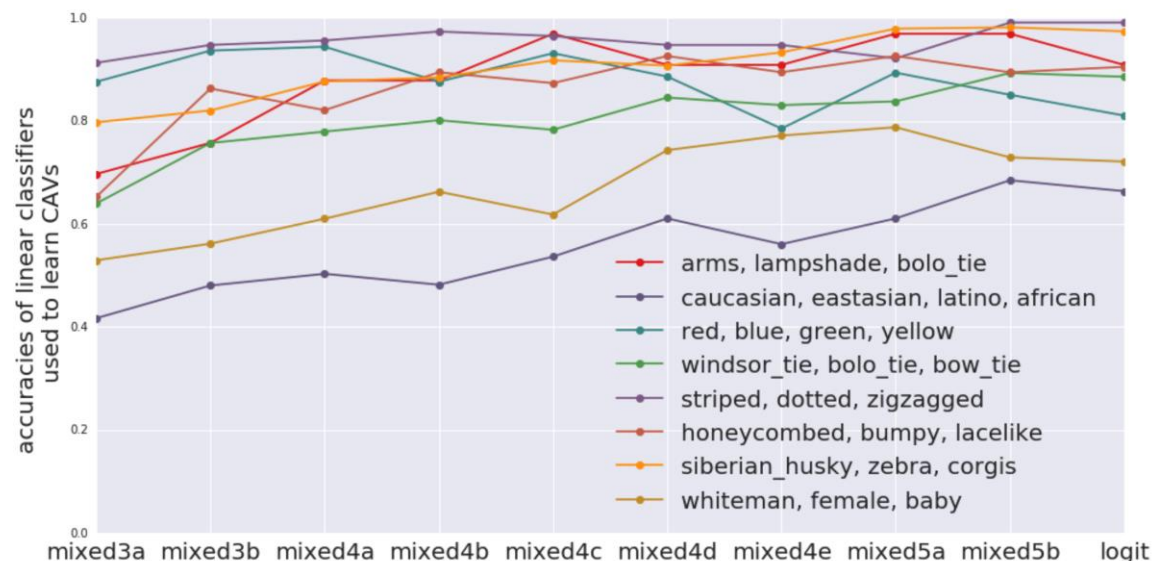


TCAV tells that **Woman** has a **negative importance** for the classification of doctors

BIAS IDENTIFICATION!

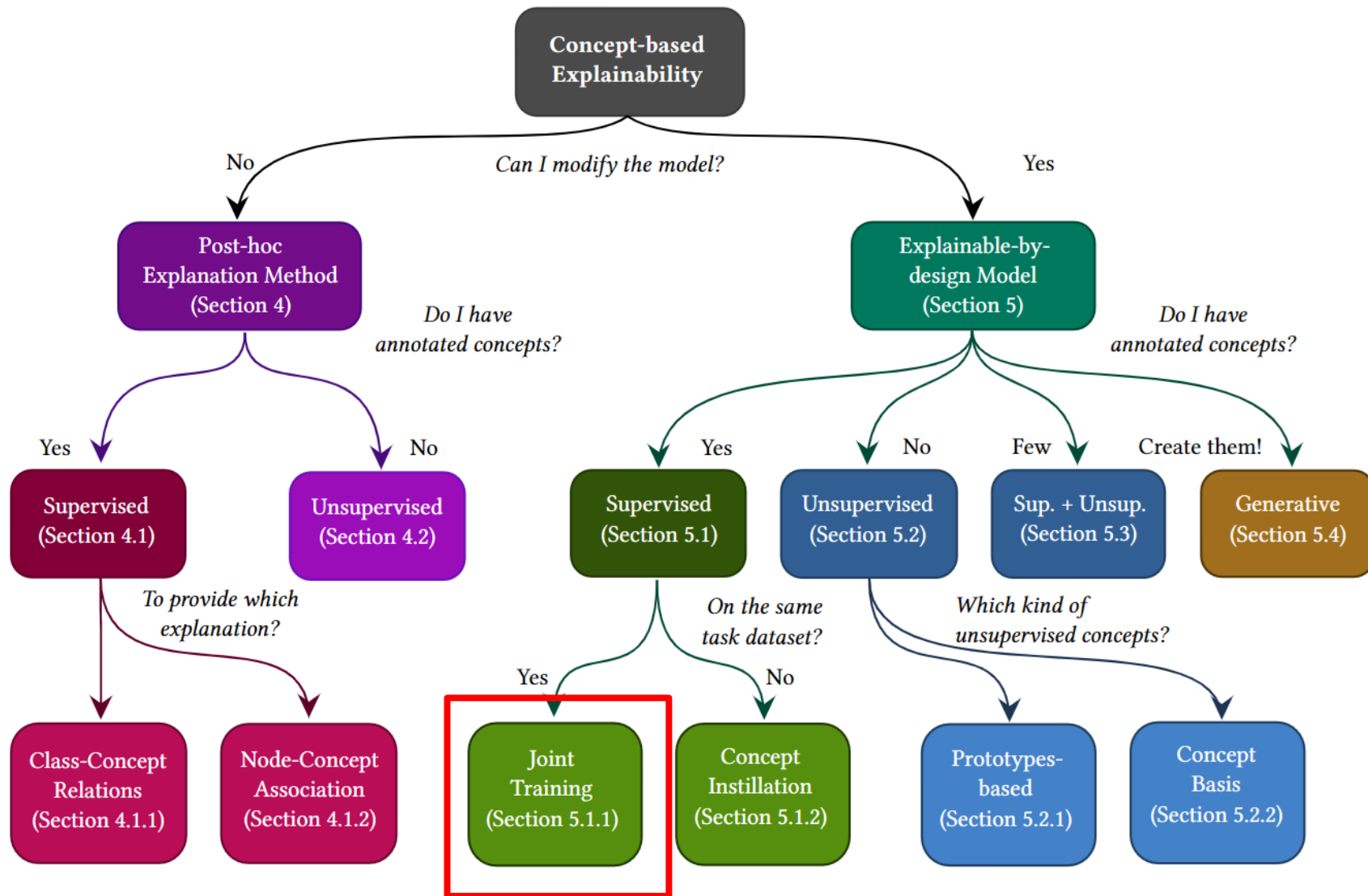
When and where can concept be learnt?

- Accuracy of the «linear probe»
 - *High* implies the network **has automatically learnt** a concept
 - *Low* implies the network **does not use** that concept for predicting the final class

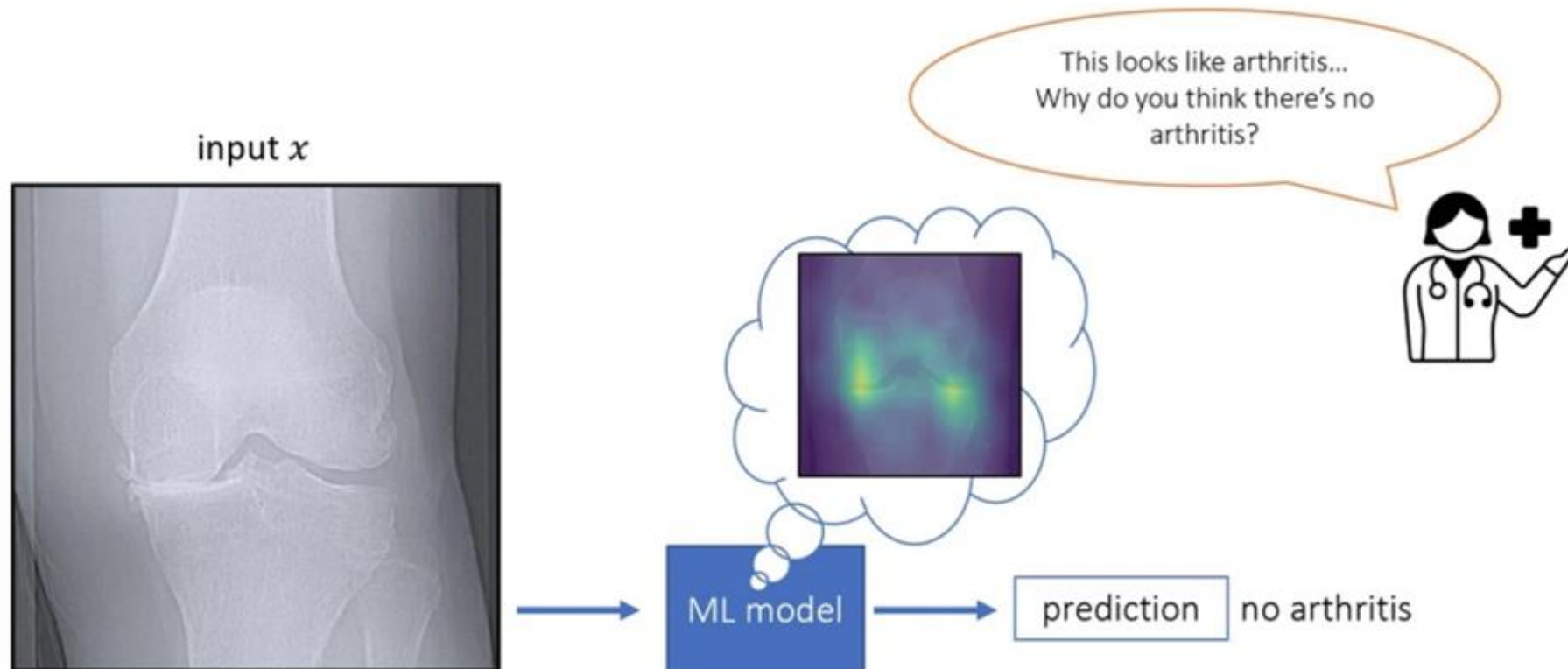


- Simpler concepts have high accuracy throughout the NN
- High-level concepts can be detected better at higher layers

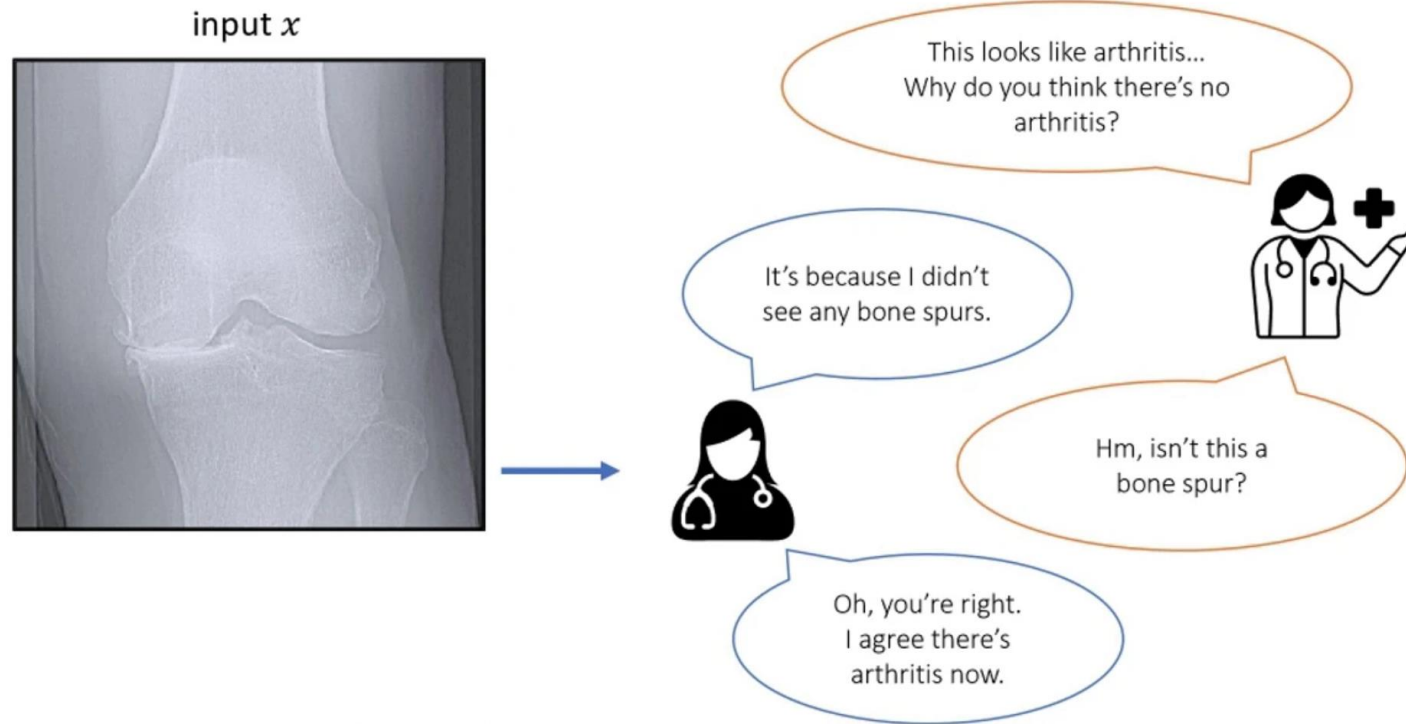
2. Concept Bottleneck Models (CBMs)



End-2-End models are difficult to interact with



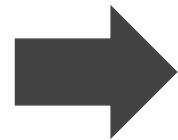
Ideal: Interact through high-level concepts



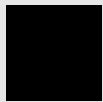



CBMs Explicitly Represents Concepts



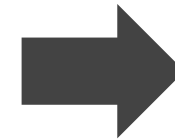
CONCEPT
ENCODER



	round	✓
	red	✓
	squared	✗
	cold	✗

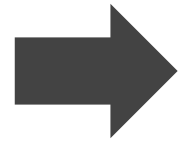
CONCEPTS









TASK
PREDICTOR



“APPLE”

CBMs Allows Interactions!



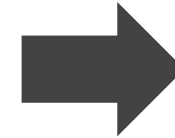
	round	
	red	
	squared	
	cold	

CONCEPTS

observe



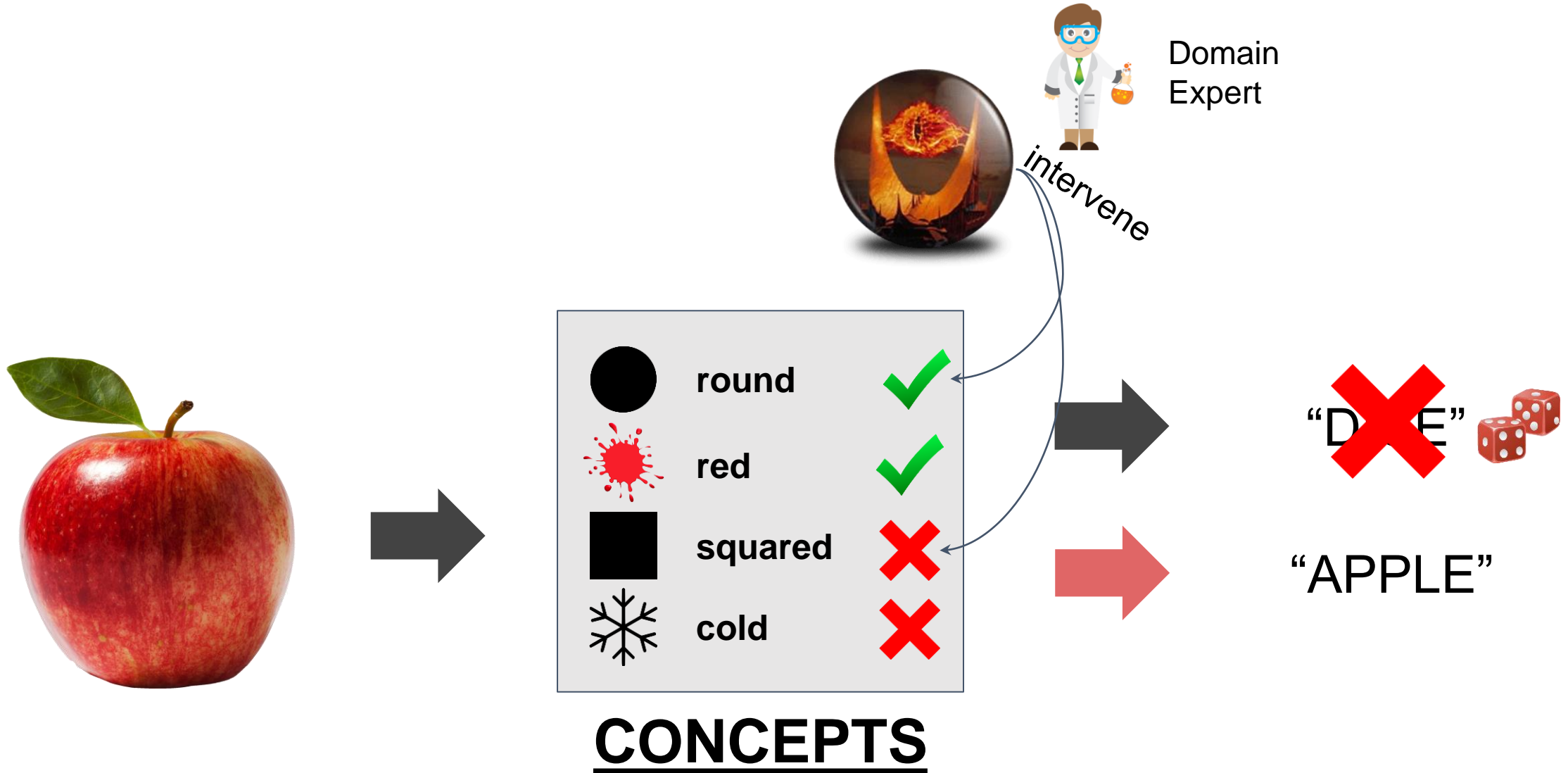
Domain Expert



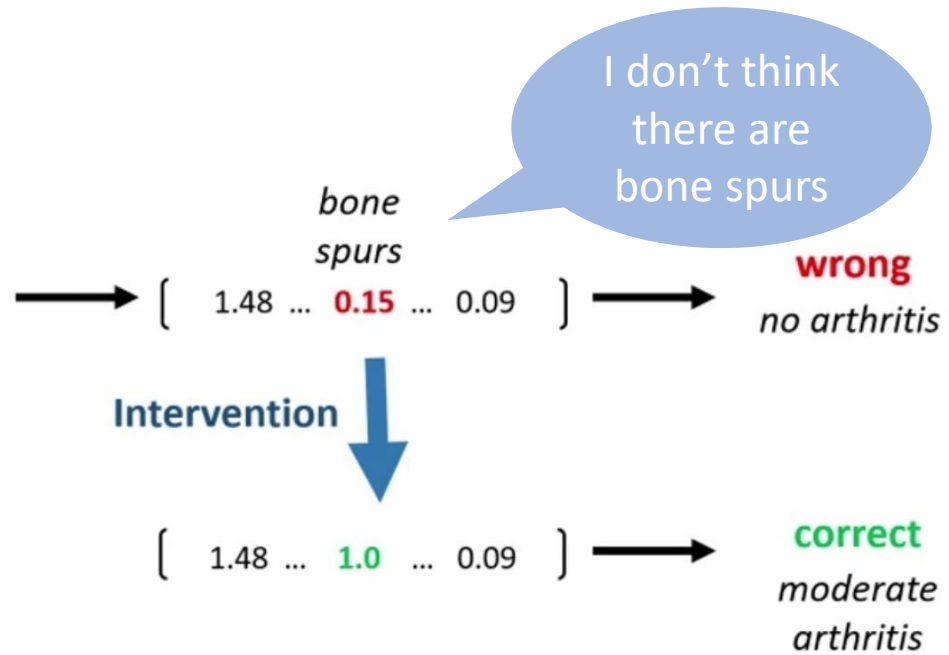
“DICE”



CBMs Allows Interactions!



Importance of Concept Intervention

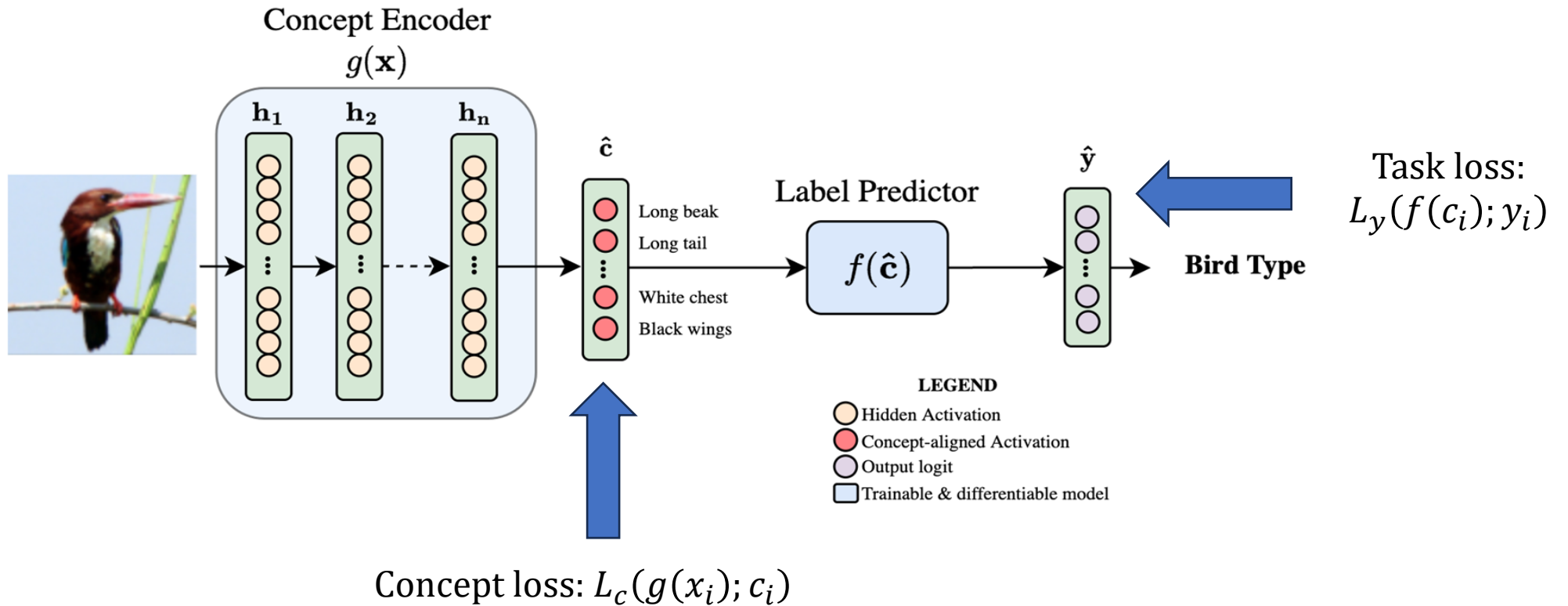


I don't think there are bone spurs

Actually, there is a bone spur in this x-ray



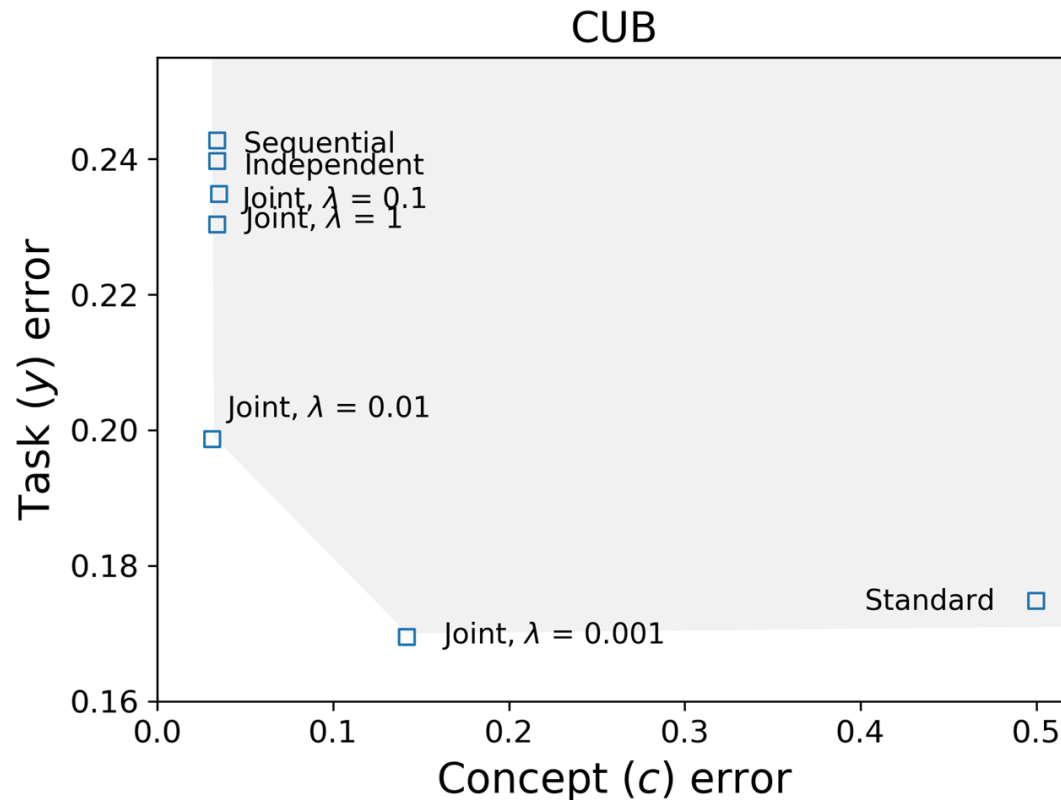
Concept bottleneck models architecture



Different training strategy

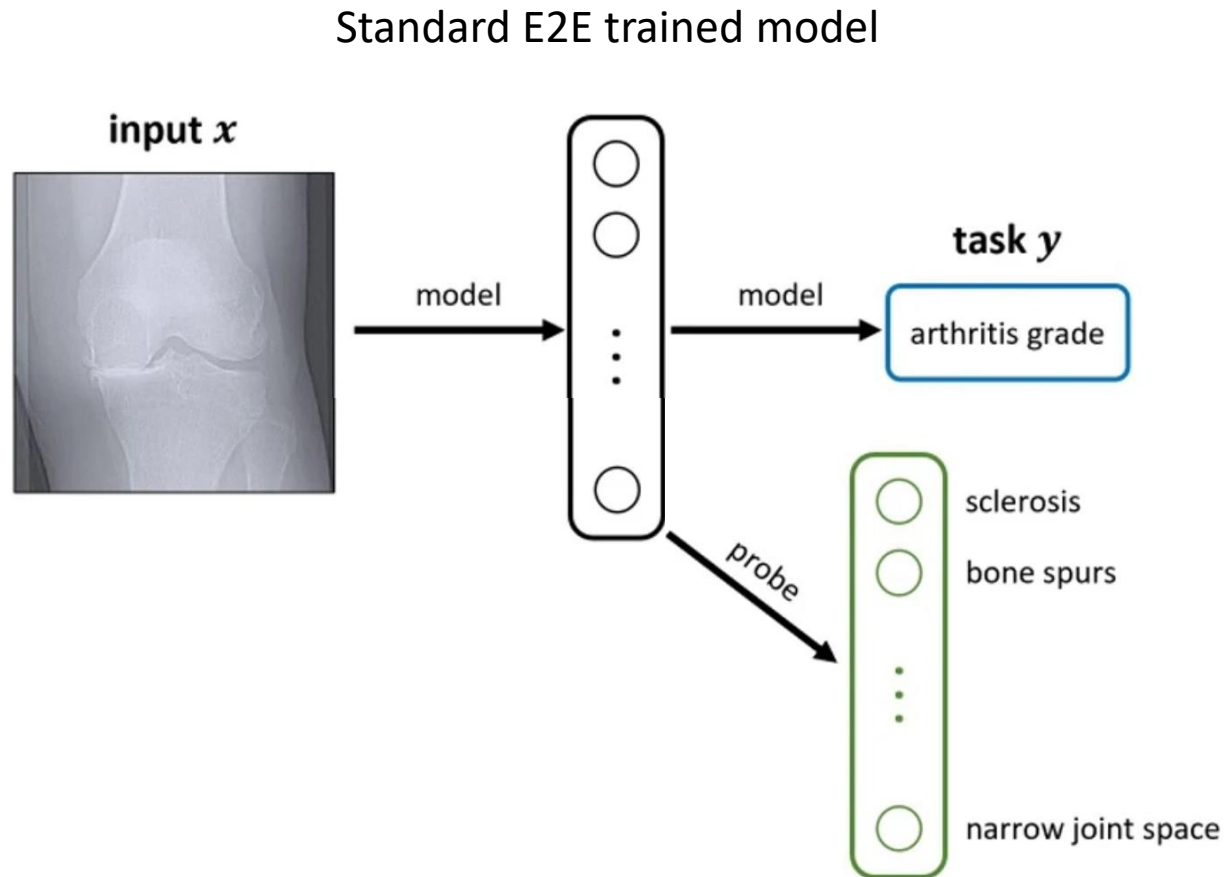
- Independent: $\hat{f} = \arg \min_f \sum_i L_y(f(c_i), y_i)$ f is trained using the truth concepts
 $\hat{g} = \arg \min_g \sum_i L_c(g(x_i), c_i)$
- Sequential: $\hat{f} = \arg \min_f \sum_i L_y(f(g(x_i)), y_i)$ g is trained first as above, then frozen
- Joint: $\hat{f}, \hat{g} = \arg \min_f \sum_i L_y(f(c_i), y_i) + \lambda \arg \min_g \sum_i L_c(g(x_i), c_i)$ f,g trained together
for some $\lambda > 0$
- Standard: $\hat{f}, \hat{g} = \arg \min_f \sum_i L_y(f(c_i), y_i)$ It ignores the concepts loss

Different interpretability/performance trade-offs



- **Sequential** and **independent** are the more «trustworthy» because they ensure no concept leakage
- **Joint** strategy provides better task accuracy
 - Different trade-offs according to the λ value
- **Standard** model still has higher accuracy on average

Explicitly concept training ensure model learns the concepts



Method	X-Ray Concept Error (\downarrow)
Independent	0.53
Sequential	0.53
Joint	0.54
TCAV [Probe]	0.68

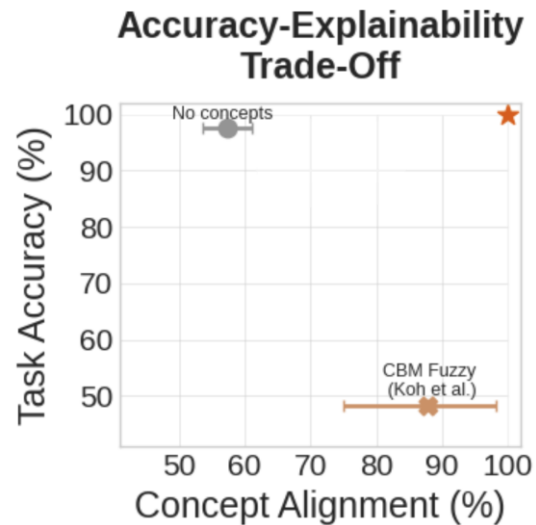
In a trained model, identifying some concepts may not be possible, because it might not have learnt them automatically

→ Only by explicitly training a model we can ensure it represents all concepts!

CBM Drawbacks

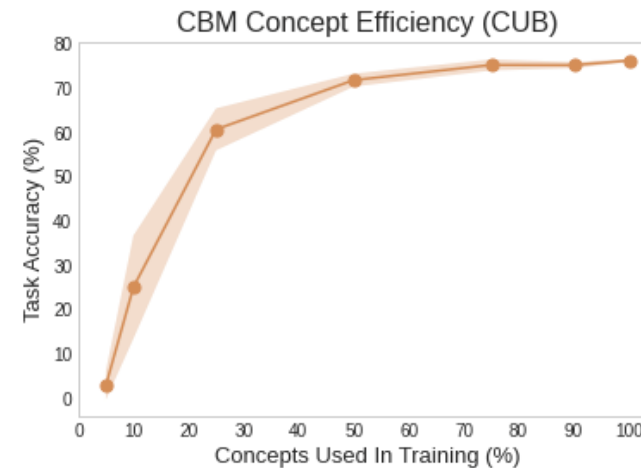
Poor Trade-offs

—
Struggle to compromise between accuracy and explainability

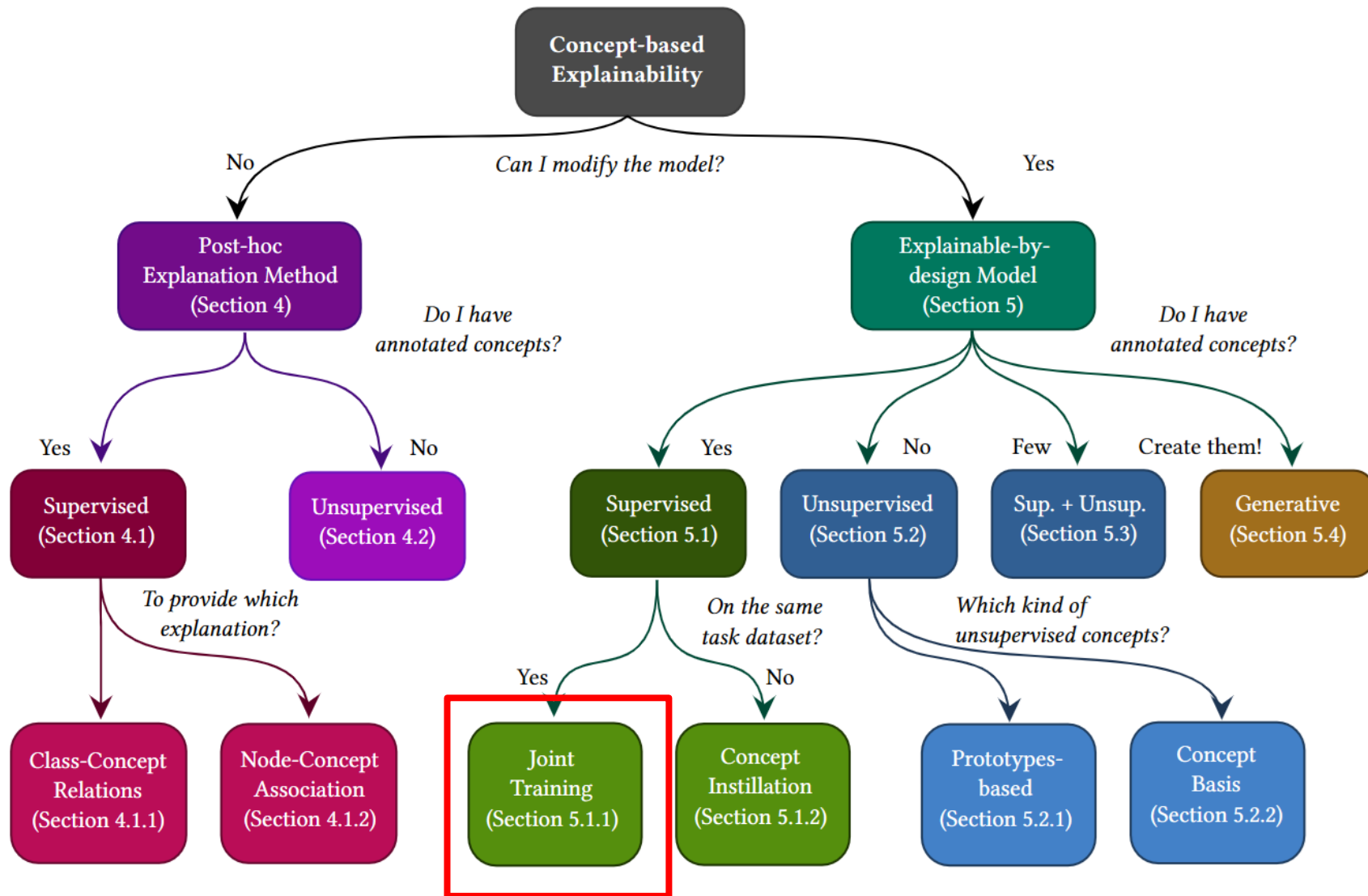


Low Concept Efficiency

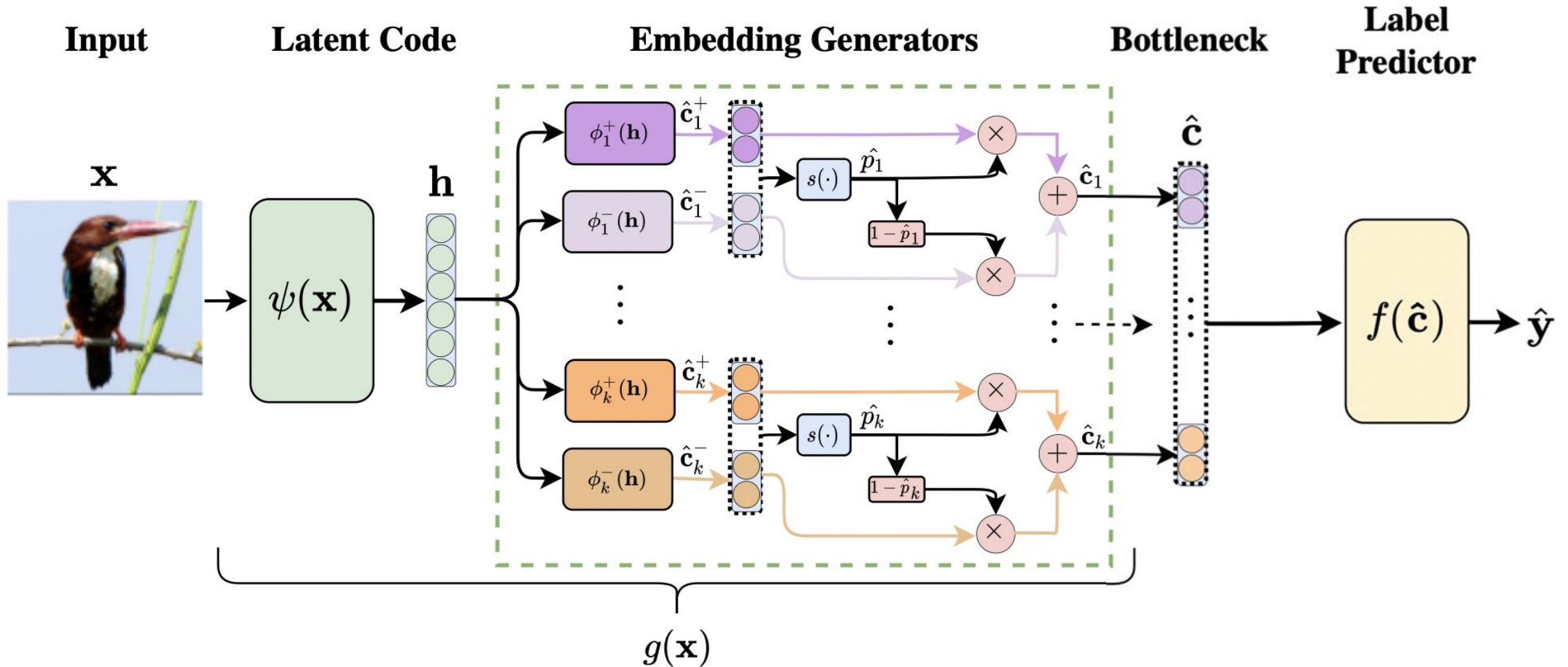
—
CBMs do not scale in real-world conditions



3. Concept Embedding Models (CEM)



Concept Embedding Models: overview



Concept Embedding workflow

1. $h = \psi(x)$: the latent space of the model
2. $\mathbf{c}_i^+ = \phi_i^+(x)$: neural model dedicated to represent the i -th **positive** concept embedding
3. $p_i = s([\mathbf{c}_i^+, \mathbf{c}_i^-])$: the *concept score* (i.e., probability of presence of the i th concept) is a function shared among concepts working on the concatenations of the concept embeddings
4. $\hat{\mathbf{c}}_i = p_i \mathbf{c}_i^+ + (1 - p_i) \mathbf{c}_i^-$: the *concept embedding* is represented by the weighed combination of the positive and negative concept embeddings according to its presence
5. $f([\hat{\mathbf{c}}_1, \dots, \hat{\mathbf{c}}_i, \dots, \hat{\mathbf{c}}_k])$: the task predictor works on the concatenation of all the concept embeddings

CEM: A neural-symbolic approach

Neural

—

Concepts are represented
with: unsupervised
embeddings

$$c_i \in \mathbb{R}^k$$

Symbolic (CBM)

—

Concepts are represented
with: **supervised** scalars

$$c_i \in [0,1]$$

Neural Symbolic (CEM)

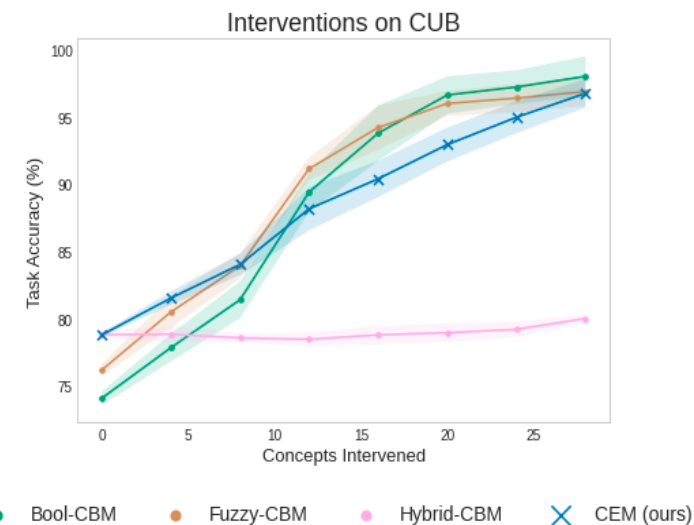
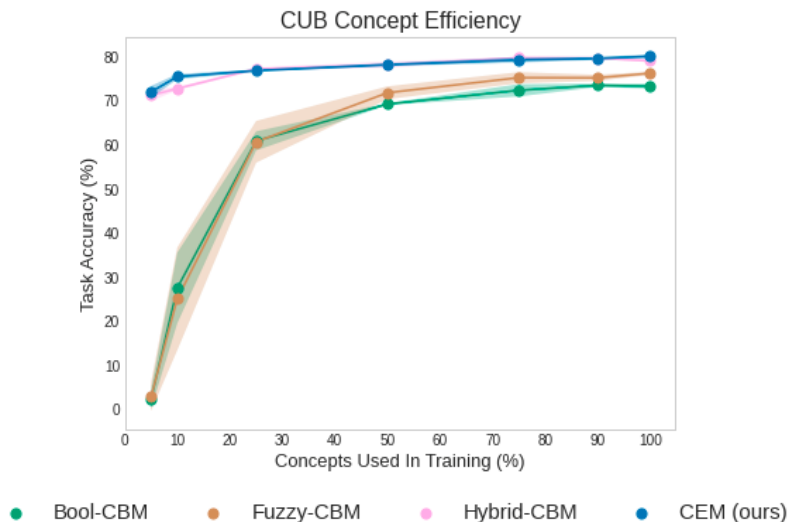
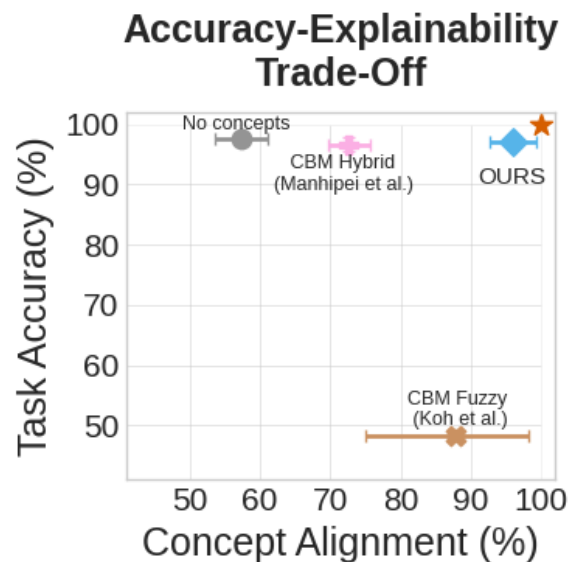
—

Concepts are represented
with: pairs of **supervised**
embeddings

$$c_i \in \mathbb{R}^k$$

$$c_i = \text{agg}(c_i^+, c_i^-)$$

CEM Advanatages



Beyond Trade-offs

CEMs overcome the current accuracy-explainability trade-off

High Concept Efficiency

CEMs scale to real-world conditions where concept supervisions are scarce

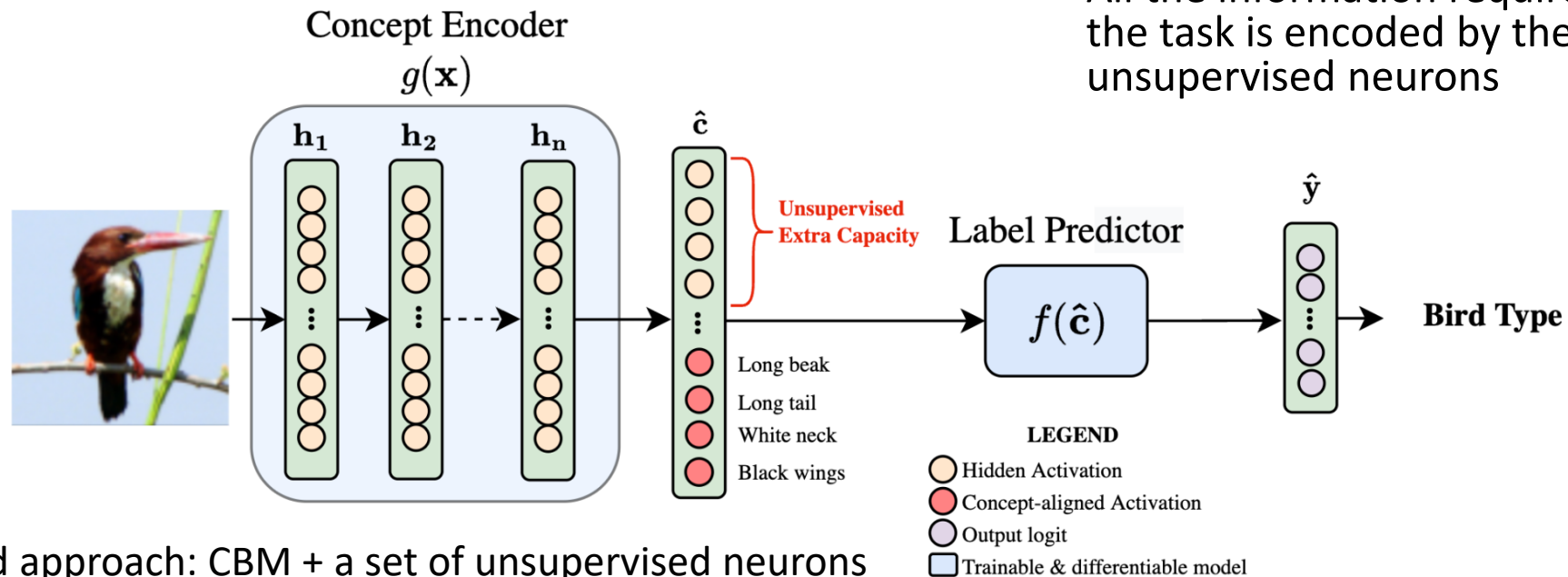
Effective interventions

CEMs are responsive to concept interventions

CEM vs Hybrid approach

- PROS:
 - Retain high accuracy
 - Has high concept efficiency like CEM

- CONS:
 - Prevent any effect of concept intervention
 - Changing the predicted scores has no effect on the task prediction
 - All the information required to predict the task is encoded by the unsupervised neurons

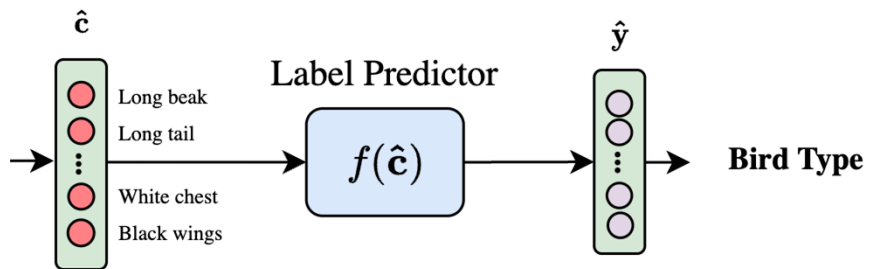


Hybrid approach: CBM + a set of unsupervised neurons

Have we lost something?

Interpretability

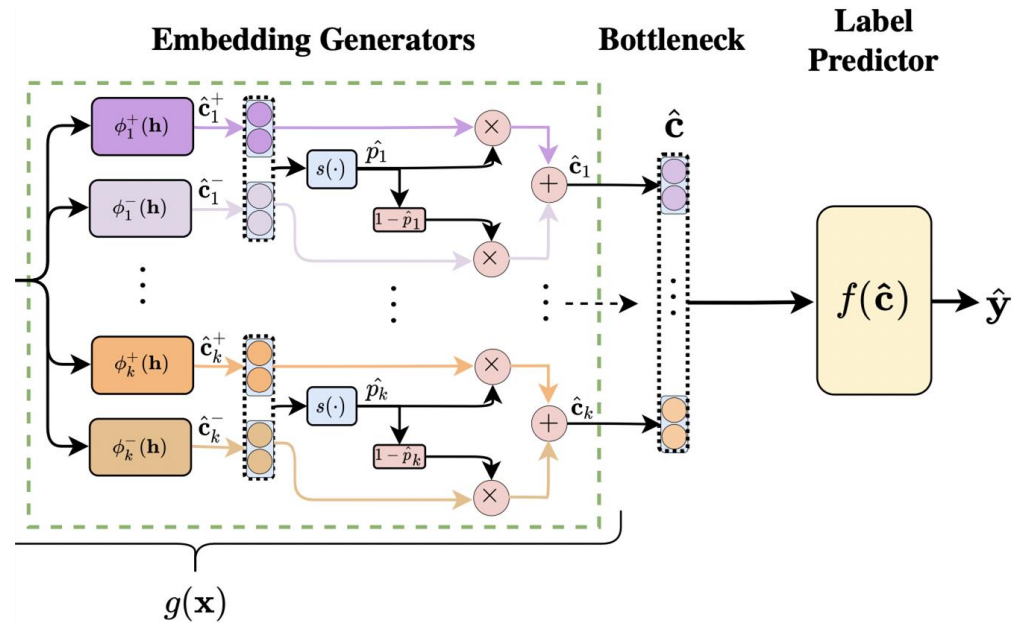
CBM: Interpretable



LEGEND

- Hidden Activation
- Concept-aligned Activation
- Output logit
- Trainable & differentiable model

CEM: NON-Interpretable

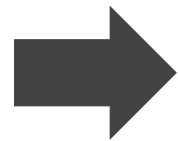




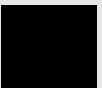

$$\hat{c}_{\text{yellow}} = [2.3, 0.3, -3.5, \dots]^T$$

Can we create an Interpretable Model over Concept Embeddings?



CONCEPT
ENCODER



	round	✓
	red	✓
	squared	✗
	cold	✗

CONCEPT
S

CONCEPT
PREDICTOR



0.8 Round +
0.1 Red →
Apple

Come on Monday to the Project Presentation!

- You will form groups of about 4 people
- We will provide 8-10 different projects among which you will have to choose
- The remaining of the lecture you will do a guided laboratory with Prof. Salvatore Greco on XAI for text models